## Important Equations in Physics (A2)

Unit 1: Non-uniform Acceleration (Topic 7 and 14)

1	Base units		Len	Length Ma meters kil		ISS	Time	Te	Temp	Current	lur	luminous		Атог	unt of
			met			ograms	second	ls kelvin( <b>K</b> )		ampere (A	$\int \int \frac{int}{ca}$	intensity candela ( <b>Cd</b> )		ubst.	ance
2	Multiples	Tera	Giga	Meg	a	kilo	deci	centi	milli	micro	nano	pico	femt	0	atto
	of units	T	Ğ	M	Ś	k	d	c	m	μ	n	<b>p</b>	f	5	<b>a</b>
2		$10^{12}$	10 <sup>9</sup>	$10^{\circ}$	)	$10^{\circ}$	10-1	10-2	10-3	10-0	10-9	10-12	10-1	,	10-18
3	Kaaian : Angle subt	ondod h	v an arc	oaual t	0	A	len	gth oj	f arc	_ circumference of the circle _ s					
	the length of radius			<i>equal 10</i> 0 -			_ radius of circle _		radius r			r			
4	Radian and degree			$2\pi rad = 360^{\circ}$ radian – dear			doaroo	$\frac{\pi}{180^{\circ}}$							
				$1 rad = 57.3^{\circ}$			uegree	^ <u>180°</u>	a	egree =	raa	<u>× –</u>	π		
5	Angular displacement, $\theta$			$\theta = \frac{s}{r}$					s is the arc length in meters r is the radius of a circle in meters						
6	In radians			$\Delta \theta$				$\omega$ is called omega, is a vector direction							
0	radians/seconds			$\omega = \frac{\Delta b}{\Delta t}$			$v = r\omega$		clockwise or anticlockwise						
7	Centripeta	l Force,	$F_c$	$mv^2$		$E - mr()^2$		unit newtons, N, always directed towards							
				$F_c =r$			Γ <sub>C</sub>	$F_c = mr\omega^2$		the centre of the circle of radius r					
8	Centripetal acceleration			$a_{\pm} = \frac{v^2}{2}$			a	$a_c = r\omega^2$		unit $m/s^2$ or $rad/s^2$ direction always					
	Oscillatio	200		$u_c - r$ $u_c \cdot u$					towards the centre of the circle						
9	Period <b>T</b>	/13		Time	Time taken for one complete oscillation Unit seconds										
10	Frequency	f		Number of oscillations per second. Unit oscillations per second or hertz or Hz											
11	Displacem	ent <b>x</b>		The distance from the equilibrium position at any time t. Unit meters, vector qty											
12	Amplitude .	$x_o$		The maximum displacement from the mean position. Unit meters, scalar qty											
13	Simple Harmonic Motion		a) motion about a fixed point, b) acceleration is proportional to displacement and directed towards a fixed point.												
			b) acceleration is proportional to displacement and directed towards a fixed point, c) direction of acceleration is opposite to displacement												
14	Simple Harmonic Motion		$a = -\omega^2 x$ a, acceleration: $\omega$ . angular frequency: x, displacement												
15	Angular frequency		$\omega = 2\pi f$ f is frequen				requency	y of oscilla	tions	1	.,				
16	Restoring force, F <sub>res</sub>		The resultant force acting on an oscillating particle that cause acceleration a.												
				Fres :				$F_{res} =$	$=-m\omega^2 x$						
17	Simple harmonic motion		at t=0 and x=0			<u>a</u>	$\frac{at t=0 \text{ and } x=x_o}{x=x_c} \cos \omega t$								
	Equations		$x = x_0 \sin \omega t$				$x = x_0 \cos \omega \iota$ $y = -x_0 \sin \omega t$								
			$v = x_0 \omega \cos \omega t$ $v_0 = x_0 \omega$				$v = -x_0 \omega \sin \omega t$ $v_0 = x_0 \omega$								
			$v_0 = x_0 \omega$												
				$v = \pm \omega \sqrt{(x_o^2 - x^2)}$				$v = \pm \omega \sqrt{(x_o^2 - x^2)}$							
				$a = -x_o \omega^2 \sin \omega t$				$a = -x_o \omega^2 \cos \omega t$							
				$E_k = \frac{1}{2}m\omega^2(x_o^2 - x^2)$					$E_k = \frac{1}{2}m\omega^2(x_o^2 - x^2)$						
				$E_p = \frac{1}{2}m\omega^2 x^2$					$E_p = \frac{1}{2}m\omega^2 x^2$						
18	Total energy for SHM			$E_{tot} = E_k + E_p = \frac{1}{2}m\omega^2 x_o^2$											
19	Time period for Simple						$\overline{m}$								
	pendulum and mass on a		$T = 2\pi \left  \frac{\iota}{\tau} \right $				$T = 2\pi \sqrt{\frac{k}{k}}$								
	helical spri	helical spring				.1 0 -	$\sqrt{g}$	1							
20			<i>l</i> is the length of the pendulum <i>m</i> is the mass and <i>k</i> is the spring constant						tant						
20	Free oscillations		When the only force acting on a particle is external restoring force.												
21	Damped oscillations			When frictional and resistive force reduce the amplitude (energy) of the oscillation											
22	Kesonance		When driving freq. of the osc. is equal to natural frequency gives max amplitude												

1	Mole: amount of substance, n	eg 1 mole carbon=12g, 1 mole of oxygen=16g, 1 mole of water=18g						
2	Avogadro constant, $N_A$	Constant number of molecules or atoms in 1 mole= $6.023 \times 10^{23}$ particles						
3	Brownian motion	Random, jerky, haphazard, zigzag motion of molecules in liquid or gas						
4	Absolute Temperature, K	Temperature in kelvin scale T/	$K = \theta / C + 273.15$					
5	Ideal gas equation	pV=nRT $P=pressure, V=volume, T=temp in Kelvin, n number of moles, R=universal gas constant per mole=8.3Jmole-1K1.$						
6	Ideal Gas	- gas that obeys ideal gas equation at all pressures, volumes, temperatures,						
		- molecules do not exert forces on each other when collide,						
		- the collision between the molecules is perfectly elastic						
7	Kinetic theory of ideal gas	- Matter is made of tiny particles called atoms or molecules,						
		- Inese particles are in constant, random motion, Particles collide with each other and collision is perfectly elastic						
		- I arricles course will each other and coursion is perjectly elastic,						
		- rariacies apply no jorce on each other when collide, Motion of particles is greater in gas, loss in liquid and loget in solida						
		- Volume of particles in gas is need	isible compare to the volume of gas					
8	Kinetic theory of ideal gas	$NV = {}^{1}Nm(c^2)$ or $n = {}^{1}o(c^2)$	is the compare to the volume of sus.					
0	Kinene meory of tacat gas	$pv = \frac{1}{3} v m(c + 0) p = \frac{1}{3} p(c + 1)$	m is the mass of a molecule n the					
		n is the total number of molecules,	$r (c^2)$ the average of square of the					
		pressure, V the volume of container, $\langle C^2 \rangle$ the average of square of the Nm						
		velocities of molecules, $\frac{1}{V} = \rho$ , th	e density of gas.					
9	Other gas equations	pV = NkT $R=universal g$	gas constant (per mole) = $8.3Jmole^{-1}K^{-1}$					
		$R = \frac{N}{k} k$ $k = Boltzmann$	constant (per molecule)= $1.38 \times 10^{23} JK^{4}$					
		n $n$	adro no. $6.023 \times 10^{23}$ molecules/mole					
10	Average of $\langle E_k \rangle$ molecules	$\langle F_{1} \rangle = \frac{3}{kT}$ T, the temper	ature in kelvin, k, the Boltzmann constant					
11	Heat and temperature	$L_{k}^{r} = \frac{1}{2}R_{1}^{r}$ Tem	nerature is the degree of hotness of an					
11	ficar and temperature	measured in joules obje	perturbed is the degree of nonless of an $cc$ the measure in $^{\circ}C$ or K					
12	Internal energy $\Delta U$	In ideal gas, it is the sum of kinetic	In real gas, it is the sum of kinetic and					
		energies of all molecules	potential energies of all molecules					
13	Law of thermodynamics	The increase in internal energy ( $\Delta U$ ) of a system is equal to the sum of heat						
		energy added to the system and the work done on it. $\Delta U = Q + W$						
		$Q$ is the heat energy and $W(=p\Delta V)$	, is the work done on the system					
14	Thermal equilibrium	When all sections of a system are a	at same temperature					
15	Physical properties of matter	- most materials expand upon heating, eg mercury in glass thermometer						
	when heated	- resistance of metals increases wh	en the temperature increases, eg					
16		thermocouple thermometer $(200^{\circ}C)$						
10	iunction between copper	a) while range $(-200 \text{ C} \text{ to } 1500 \text{ C})$	b) can store data electronically					
	(junction between copper and iron wire)	e) can measure the temperature of	f small objects					
17	Specific heat capacity:	$\Delta 0$	$c$ the specific heat capacity $Jkg^{-lo}C^{-1}$					
17	amount of heat required to	$c = \frac{c}{m \times \Lambda \theta}$	<i>m. the mass of an object. kg</i>					
	raised the temperature of	$m \times \Delta 0$	$\Delta\theta$ , the change in temperature, <sup>o</sup> C					
	unit mass of a substance to	$P \times t$	$\Delta Q$ , amount of heat energy, J					
	one degree	$c = \frac{1}{m \times \Delta \theta}$	P, the power of electrical heater, W					
			t, ON time for electrical heater, s					
18	Thermal capacity, C	$C = \frac{\Delta Q}{\Delta c}$ or $C = c \times m$	heat required to increase the					
	unit J/°C		temperature of a whole body					
19	Specific latent heat:	$\dots of fusion \rightarrow from solid to liquid$	$of$ vaporization $\rightarrow$ from liquid to gas					
	amount of heat require to	$l_f = \frac{Q}{T} = \frac{P \times t}{T}$	$l_{\nu} = \frac{Q}{m} = \frac{P \times l}{m}$					
	change the state of unit mass	, m m unit I/ka	unit I/ka					
	of maner without increase of temperature	Unit J/Kg       Abways I       L for the same substance						
	iemperuiure	Always $I_v > I_f$ for the same substance						

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Grav	Gravitational field							
1	Newton's law of Every two objects attract each other with force directly proportional to their							
	gravitation	masses and inversely proportional to the square of the distance between them						
2	Gravitational force	$m_1 \times m_2$	F the force in newton, $m_1 \& m_2$ masses, G					
_	between two masses	$F_G = G - \frac{r^2}{r^2}$	universal force constant $6.67 \times 10^{-11}$ Nm <sup>2</sup> kg <sup>-2</sup>					
3	Earth's Gravitational	$M_{\circ} \times m_{\circ}$	<i>M</i> the mass of earth <i>R</i> the radius of earth					
5	force on mass m	$mg = F = G \frac{G}{R^2}$						
4	Gravitational field	Me	Force per unit mass placed at a point in a					
	strength, g	$g = G \frac{c}{R^2}$	gravitational field= $9.81$ Nkg <sup>-1</sup>					
5	Gravitational potential	$M_e \times m$	work done against the gravity on bringing the					
	energy, $E_n$	$E_p = -G \frac{g}{r} = mgr$	mass to distance r above the surface of the earth					
			$(r=R+\Delta h)$					
6	Gravitational potential	$E_n M_a$	Potential energy per unit mass					
0	$\phi$	$\phi = \frac{p}{m} = -G \frac{e}{r}$						
7	Geostationary orbit	$T^{2} 4\pi^{2}$	The square of the period is proportional to the					
-		$\frac{1}{m^3} = \frac{1}{CM}$	cube of the radius of orbit					
Floo	tric field	<sup>45</sup> GM						
o	Coulomb's law of	1 a × a						
0	Coulomb's law of	$F_{\rm F} = \frac{1}{1} \frac{q_1 \wedge q_2}{2}$	$q_1, q_2$ charged objects in coulombs, r the distance					
	electrostatic	$L 4\pi\epsilon_0 r^2$	between the charged objects, $\epsilon_o$ the permittivity of					
		$1/4\pi\epsilon_o = 9 \times 10^9 C^2 Nm^2$	free space=8.85×10 <sup>12</sup> C <sup>2</sup> N <sup>2</sup> m <sup>2</sup>					
9	Electric field intensity,	$F = \frac{F}{P} = \frac{1}{Q}$	- force on a unit charge q at any point around					
	E, due to charge $Q$	$L = \frac{1}{q} - \frac{1}{4\pi\epsilon_0}r^2$	another charge $Q$					
			- out from positive end to negative charge					
10	Electric field intensity,		V the potential difference between the plates					
	E, between the two	$E = \frac{1}{d}$	d the distance between the plates					
	charged plates		E is uniform between the plates, unit is $Vm^{-1}$					
11	Electric potential, V	Q	work done in bringing the point charge from					
	1	$V = \frac{1}{4\pi\epsilon r}$	infinity to a point r in an electric field					
Capacitance								
12	Capacitance C	0	ratio of charge $(\mathbf{O})$ stored to potential diff $(\mathbf{V})$					
12	Cupachance, C	$C = \frac{c}{V}$	between conductor unit Farad mF and $\mu$ F					
13	Flectric pot energy	V	$rac{1}{2}$ - Canacitor is use to store charges or energy					
15	stored in a capacitor	$E_p = \frac{1}{2}QV = \frac{1}{2}CV^2 = \frac{1}{2}\frac{Q}{C}$	$\frac{1}{c}$ - has two plates and insulator in between					
14	Eactors affecting		A the area of parallel plates d the distance					
14	ruciors affecting	$C = \epsilon_r \epsilon_o \frac{n}{l}$	A the area of parallel plates, a the distance between them c normittivity of free space c					
	capacitance	a a	between them, $\epsilon_0$ permittivity of free space, $\epsilon_r$					
15	Deletione en constituit de la							
15	Relative permittivity $\epsilon_r$	Capacitance with alelectric	<i>c alviaea by capacitance with vacuum, no units</i>					
10	Capacitors connected	$ parallel \ C = C_1 + C_2$	series $\frac{1}{c} = \frac{1}{c_1} + \frac{1}{c_2}$					
Mag								
17	netic tielas							
	Magnetic field	Force of field around magn	nots or current carrying conductor					
18	Magnetic field	Force of field around magn	nets or current carrying conductor $p_{ac}$ are force per unit length of conductor unit tests $(T)$					
18	Magnetic field Magnetic field Magnetic flux density B	Force of field around magn the magnetic field strength	nets or current carrying conductor a or force per unit length of conductor, unit tesla $(T)$					
18 19	Magnetic field Magnetic field Magnetic flux density B Magnetic flux $\phi$	Force of field around magn the magnetic field strength Product of magnetic flux de	nets or current carrying conductor a or force per unit length of conductor, unit tesla (T) lensity (B) and area (A) normal to the magnetic field					
18 19	Magnetic field Magnetic flux density B Magnetic flux $\phi$	Force of field around magn the magnetic field strength Product of magnetic flux de lines, unit weber (Wb) or te	nets or current carrying conductor a or force per unit length of conductor, unit tesla (T) lensity (B) and area (A) normal to the magnetic field tesla meter square $(T m^2) \qquad \phi = BAsin\theta$					
19 18 19 20	Magnetic field Magnetic flux density Β Magnetic flux φ Force (F) in magnetic	Force of field around magn the magnetic field strength Product of magnetic flux de lines, unit weber (Wb) or te on current carrying condu	nets or current carrying conductora or force per unit length of conductor, unit tesla (T)lensity (B) and area (A) normal to the magnetic fieldtesla meter square (T $m^2$ ) $\phi = BAsin\theta$ luctoron moving charge q with speed v					
17 18 19 20	Magnetic field Magnetic flux density B Magnetic flux $\phi$ Force (F) in magnetic field	Force of field around magn the magnetic field strength Product of magnetic flux de lines, unit weber (Wb) or te on current carrying condu $F = BILsin\theta$	nets or current carrying conductora or force per unit length of conductor, unit tesla (T)lensity (B) and area (A) normal to the magnetic fieldtesla meter square (T $m^2$ ) $\phi = BAsin\theta$ luctoron moving charge q with speed v $F = Bqvsin\theta$					
1) 18 19 20 21	Magnetic field Magnetic flux density B Magnetic flux $\phi$ Force (F) in magnetic field Specific charge of	Force of field around magn the magnetic field strength Product of magnetic flux de lines, unit weber (Wb) or te on current carrying condu $F = BILsin\theta$ $e/m = \frac{v}{r}$	nets or current carrying conductora or force per unit length of conductor, unit tesla (T)lensity (B) and area (A) normal to the magnetic fieldtesla meter square (T $m^2$ ) $\phi = BAsin\theta$ luctoron moving charge q with speed v $F = Bqvsin\theta$ The ratio of charge to mass of an electron					
1) 18 19 20 21	Magnetic field Magnetic flux density B Magnetic flux $\phi$ Force (F) in magnetic field Specific charge of electron e/m	Force of field around magn the magnetic field strength Product of magnetic flux de lines, unit weber (Wb) or te on current carrying condu $F = BILsin\theta$ $e'_m = \frac{v}{Br}$	nets or current carrying conductora or force per unit length of conductor, unit tesla (T)lensity (B) and area (A) normal to the magnetic fieldtesla meter square (T $m^2$ ) $\phi = BAsin\theta$ luctoron moving charge q with speed v $F = Bqvsin\theta$ The ratio of charge to mass of an electron					
17 18 19 20 21 22	Magnetic field         Magnetic flux density B         Magnetic flux φ         Force (F) in magnetic         field         Specific charge of         electron e/m         Faraday`s law of EM	Force of field around magn the magnetic field strength Product of magnetic flux de lines, unit weber (Wb) or te on current carrying condu $F = BILsin\theta$ $e'_m = \frac{v}{Br}$ Emf produce is directly pro-	nets or current carrying conductora or force per unit length of conductor, unit tesla (T)lensity (B) and area (A) normal to the magnetic fieldtesla meter square (T $m^2$ ) $\phi = BAsin\theta$ luctoron moving charge q with speed v $F = Bqvsin\theta$ The ratio of charge to mass of an electronoportional to rate of change of magnetic flux linkage					
19 18 19 20 21 22	Magnetic field Magnetic flux density B Magnetic flux $\phi$ Force (F) in magnetic field Specific charge of electron e/m Faraday's law of EM induction	Force of field around magn the magnetic field strength of Product of magnetic flux de lines, unit weber (Wb) or te on current carrying condu $F = BILsin\theta$ $e'_m = \frac{v}{Br}$ Emf produce is directly prop	nets or current carrying conductora or force per unit length of conductor, unit tesla (T)lensity (B) and area (A) normal to the magnetic fieldtesla meter square (T $m^2$ ) $\phi = BAsin\theta$ luctoron moving charge q with speed v $F = Bqvsin\theta$ The ratio of charge to mass of an electronoportional to rate of change of magnetic flux linkage					

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LIEC								
1.	Magnetic field, BField around a magnet or current carrying conductor where other magneticmaterials experience force, direction $N \rightarrow S$							
2.	Law of Magnets	Like poles repel each other		Unlike poles attract each other				
3.	Right hand rule	magnetic field around a current carrying conductor, thumb pointing in the direction of conventional current, curved fingers direction of mag. Field						
4.	Helmholtz coils	Two identical flat coils, placed side by side, having same current in them, separated by distance equal to the radius produce mag. field in between them						
5.	Motor effect Fleming's LH rule	A current carrying conductor placed in a magnetic field at right angle, experience motor force at right angle to both. Use Fleming's left hand rule						
6.	Motor force	$F = BILsin \theta$ $\theta = 90^{\circ} \rightarrow max. motor force$ $\theta = 0 \rightarrow zero motor force$	2	B – magnetic field strength in tesla (T) I – current in the conductor in ampere(A) L – length of conductor in mag. field (m) $\theta$ – angle between I and B				
7.	Magnetic flux density	It is the magnetic field stren	gth, rep	presented by symbol B. Its unit is tesla (T)				
8.	Magnetic flux, $\Phi$ units weber (Wb) or tesla meter sq (Tm <sup>2</sup> )	$\Phi = BAsin\theta$ $\theta$ is the angle between B and normal to A	d	It is the product of magnetic flux density B and area A normal to the magnetic field lines				
9.	Define weber	<i>The SI unit of magnetic flux, equal to a flux that produces a electromotive</i> <u>force</u> of one volt in a single turn of wire when the flux is uniformly reduced to zero in a period of one second						
10.	Change in magnetic flux linkage	product of change in magne flux $\Delta \Phi$ and number of turn in a conductor	tic s N	change in magnetic flux linkage = $N\Delta\Phi$				
11.	Faraday's law of electromagnetic induction	The emf produced in proportional to the rate of change of magnetic flux link	cage	$emf = -N \frac{\Delta \Phi}{\Delta t} \text{ or } -N \frac{d\Phi}{dt}$ use fleming's RH rule to find the direction of induce current or induce emf.				
12.	Lenz's law	The direction of induced emf is such as that it opposes the motion that causing it.						
13.	<i>3. Mutual Induction Changing mag. field in one coil induces changing emf in the other coil. transformer.</i>							
14.	Transformer step up $N_p < N_s$ step down $N_p > N_s$	$P_p = P_s$ $\frac{V_p}{V_s} = \frac{N_p}{N_s} = \frac{I_s}{I_s}$		$V_p$ and $V_s$ are voltages in primar and sec. $N_p$ and $N_s$ are turns in primary and sec. $I_p$ and $I_s$ are current in primary and sec. $P_p$ and $P_s$ are power of primary and sec.				
Alte	rnating Current	<b>1 1 1 1 1 1</b>						
15.	<i>a.c.</i>	Alternating current – the ma	ins sup	pply of house electricity - 240V in UAE				
16.	a.c. equations – sinusoidal waves	$I = I_o \sin \omega t \qquad I_o ma.$ $V = V_o \sin \omega t \qquad instan$		x current, $\omega$ angular speed, I and V are the ntaneous current and voltage at time t				
17.	Peak values $I_o$ and $V_o$	The max. values of the volta	ge or c	urrent in alternating current cycle				
18.	rms values V <sub>rms</sub> or I <sub>rms</sub>	effective values of voltage o resistor that is produced by	r currei same v	nt which will have same heating effect in a a alue of direct current				
19.	rms values	$I_{rms} = \frac{I_o}{\sqrt{2}} = 0.7071I_o \qquad V_{rms} = \frac{V_o}{\sqrt{2}} = 0.7071V_o$						
20.	Why a.c. supply?	so that the voltage can be increased before placing on power line to reduce the loss of energy due to high current						
21.	Diode	Electronic component that allows the current to pass only in one direction						
22.	Rectification	Process of changing a.c. to d.c. by using diodes. Full wave and half wave						
<i>23</i> .	Bridge rectifier	circuit that changes a.c. to d.c. using four diodes, capacitor and resistor						

Unit 4: Electromagnetic Induction and alternating current (Topics from syllabus 23 and 24) Electromagnetic Induction

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## Unit 5 Modern Physics (Topics from syllabus 25, 26 and 27)

Char	Charges Particles							
1.	Millikan oil drop	exp. to det	ermine the cha	arge of	weight of charged oil drop is equal to			
	experiment	elementary particle – electron and			the force due to electric field			
		$proton = 1.6 \times 10^{-19} C$			$qE = \pi r^3 (\rho - \rho_a)g$			
2.	Charged particle in	$\frac{mv^2}{2} - Fa$	and mv <sup>2</sup>	- Ran	$F_c = F_E$ and $F_c = F_B$			
	electric and mag. field	r = Lq	r r	= <i>DQV</i>				
3.	Velocity of charged	E			Fc = centripetal force			
	particle in electric (E)		$v = \frac{1}{B}$		FB = force due to magnetic field			
	and magnetic (B) field				<i>FE</i> = <i>force due to electric field</i>			
4.	Specific charge	Charge to	mass ratio e/	m of electron d	or proton			
Phot	oelectric Effect							
5.	Photoelectric effect	Emission of	of electrons fro	om metals when	n e.m. radiations fall on it. Proof of light			
	55	as particles that is particle strikes particle emits						
6.	Photoelectric effect:	a) instanta	neous b) only	happen if the f	freq is above minimum level c) each			
	Properties	metal have	e its own freq d	d) rate of electr	rons emits is proportional to intensity			
7.	Threshold freq $f_o$	The minim	um freq of wa	ve required to	emit the electrons from the metals, each			
		metal have	e its own thres	hold frequency				
8.	Max Plank Equation		E = hf		E the energy, f the freq and h the			
					<i>Planks constant</i> = $6.63 \times 10^{-34}$ Js			
9.	Photon	Light as po	ackets and ene	ergy of these pa	ickets are quantized, only on certain			
		fixed levels	<i>S</i> .					
10.	Work function energy	The minim	um amount of	energy require	$\phi$ work function energy in <i>J</i> , $f_o$ the			
	$\phi$	for electron to escape, $\phi = hf_o$			<i>threshold freq, h planks constant</i>			
11.	Photoelectric equation $E = hf = \phi + \frac{1}{2}m_e v_{max}^2$							
		$E = hf = hf + \frac{1}{2}m u^{2}$						
10	d. D			$\frac{b}{b}$	$\frac{1}{2}$			
12.	<i>de Broglie wavelength, X</i> <i>Equation of wave particle</i>	e duality $\lambda = \frac{n}{p}$			p is momentum of the particle			
<i>13</i> .	Electromagnetic spectra	Continuo	ous spectra: sp	pectrum of	Line spectra: spectrum of only few			
		all colou	rs and wavele	ngths	colours and wavelengths shown as lines			
14.	Quantization of energy	$\Delta E = E_1 - E_2 = hf \qquad When \ elevents = E_1 - E_2 = hf$			tron jump from:			
	levels in atomic orbits	lower to		lower to h	higher energy state $\rightarrow$ absorb energy			
Num				nigher to	lower energy state $\rightarrow$ emit energy			
NUCI	ear Physics	1 1 ((	10-271	<b>F</b> 1/				
15.	Atomic mass unit, Iu	$1u=1.00\times10^{-6}$ kg Equal to one			tweigth of the mass of carbon-12 atom			
10.	Mass deficit (or defect)	Difference between the total mass of			separate nucleons and combine nucleus			
17.	Mass – Energy Equation	$E = mc^2$ E is the energy			gy, m the mass and c the speed of light $1_{\text{ev}} = 0.21 \text{MeV}$			
10	aV the unit of energy	$1_{0}V - 1.6$	× 10 <sup>-19</sup> I	$1M_{\rm eV} = 1.6 \times 1$	1u = 931 MeV			
10.	Binding anaray	$\frac{100 - 1.0 \times 10}{100} J = \frac{1000 \times 10}{1000} J$						
19. 20	Binding energy	Total energy require to separate the nucleons divided by the number of						
20.	nucleon	nucleons (study the graph on page no 360 of AS Physics by Chris Mee						
21	Nuclear fusion	Smaller nuclei combine together to form larger nuclei require high						
21.	Tracteur jusion	temperature and pressure						
22	Nuclear fission	Heavy nuclei bombarded with neutrons split into smaller nuclei release						
22.	Therear Jission	energy	icici bomburu		is, spin into smaller nuclei, release			
2.3.	Isotopes	Same number of protons but different number of neutrons of an element						
24.	Nucleon number	Number of neutrons and protons in a nucleus						
25.	nuclide	A particular type of nucleus, isotones of same element have different nuclide						
26.	nuclei	It is the plural of nucleus						
27	ion	An atom	that loses one	or more electr	ons and are not equal no of protons			
41.								

Radioactivity								
28.	Radioactive emission	emission of radiation by certain unstable radioactive nuclei to become stable						
29.	Types of radiation	alpha particles ( $\alpha$ ), beta particles ( $\beta$ ) and gamma rays ( $\gamma$ )						
30.	Alpha particles (a) emission	helium nucleus, +2 charge, stopped by paper, very short range in air, high ionization effect, deflected by electric and magnetic field, proton number decrease by 2, neutron number decrease by 2 and nucleon number decrease by 4 in parent nuclei						
31.	Beta particles ( $\beta$ ) high energy electrons, -1 charge, stopped by few mm thick aluminium sheet, emission weak ionization effect, deflected by electric and magnetic field, proton number increase by one, neutron number decrease by 1 and nucleon numbe stays the same in parent nuclei							
32.	Gamma rays (γ) emission	electromagnetic radiation, no charge, can only be reduced by thick lead sheet, weakest ionization effect, not deflected by electric or magnetic fields, no change in nucleon number						
33.	Spontaneous decay	radioactivity cannot be affected by external environmental factors for example temperature, pressure etc						
34.	Random decay	<i>it is not possible to predict which nucleus in a sample will emit radiation but the probability that a nucleus will decay at any fixed time is constant</i>						
35.	Decay curve	the graph of undecayed nuclei (y-axis) in a sample against time (x-axis)						
36.	Half life t <sub>1/2</sub>	$A = -\frac{dN}{dt} = \lambda N$ <i>N</i> the number of undecayed nuclei, $\lambda$ decay constant in s <sup>-1</sup> , yr <sup>-1</sup> , the activity (A) of an element	tt is the time taken for the number of undecayed nuclei $(N)$ to be reduced to half its original number $(N_o)$ . This is also called the activity $(A)$ of the material.					
37.	Activity (A)	number of decays produced per unit time measured in becquerels (Bq) means one decay per second						
38.	Decay constant ( $\lambda$ )	Probability per unit time that a nucleus undergo decay						
39.	Radioactive decay equations	$N = N_o e^{-\lambda t}$	$A = A_o e^{-\lambda t}$					
40.	Decay constant and half life	$t_{1/2} = \frac{\ln 2}{\lambda} = \frac{0.693}{\lambda}$						